

### **SOLUTIONS**

# **PHYSICS**

**Sol.** Apparent weight = 
$$
V(\rho - \sigma)g = \frac{m}{\rho}(\rho - \sigma)g
$$

where  $m =$  mass of the body,

- $\rho =$  density of the body
- $\sigma$  = density of water

 If two bodies are in equilibrium then their apparent weight must be equal.

$$
\therefore \frac{m_1}{\rho_1}(\rho_1 - \sigma) = \frac{m_2}{\rho_2}(\rho_2 - \sigma)
$$
  
\n
$$
\Rightarrow \frac{36}{9}(9-1) = \frac{48}{\rho_2}(\rho_2 - 1)
$$

By solving we get  $\rho_2 = 3$ .

**2.** (C)

**1.** (C)

**Sol.** 
$$
\rho = \frac{\text{Total mass}}{\text{Total volume}} = \frac{2m}{V_1 + V_2} = \frac{2m}{m\left(\frac{1}{\rho_1} + \frac{1}{\rho_2}\right)}
$$

$$
\therefore \rho = \frac{2\rho_1\rho_2}{\rho_1 + \rho_2}
$$

**3.** (A)

**4.** (C)

**Sol.** A torque is acting on the wall of the dam trying to make it topple. The bottom is made very broad so that the dam will be stable.

**5.** (C)

**Sol.** Let the total volume of ice-berg is V and its density is  $\rho$ . If this ice-berg floats in water with volume  $V_{in}$  inside it then  $V_{in} \sigma g = V \rho g$ 

$$
\Rightarrow V_{in} = \left(\frac{\rho}{\sigma}\right) V \quad [\sigma = \text{density of water}]
$$
  
or  $V_{out} = V - V_{in} = \left(\frac{\sigma - \rho}{\sigma}\right) V$   

$$
\Rightarrow \frac{V_{out}}{V} = \left(\frac{\sigma - \rho}{\sigma}\right) = \frac{1000 - 900}{1000} = \frac{1}{10}
$$
  

$$
\therefore V_{out} = 10\% \text{ of } V
$$

**6.** (D) **Sol.** Apparent weight  $= V(\rho - \sigma)g = l \times b \times h \times (5 - 1) \times g$  $= 5 \times 5 \times 5 \times 4 \times g$  Dyne =  $4 \times 5 \times 5 \times 5$  gf.

**7.** (D)

- **8.** (B)
- Upthrust = weight of body For A,  $\frac{V_A}{2} \times \rho_W \times g = V_A \times \rho_A \times g \Rightarrow \rho_A = \frac{\rho_V}{2}$  $\frac{V_A}{2} \times \rho_W \times g = V_A \times \rho_A \times g \Rightarrow \rho_A = \frac{\rho_W}{2}$ For *B*,  $V_B \times \rho_W \times g = V_B \times \rho_B \times g \Rightarrow \rho_B = \frac{1}{4} \rho_W$ 3 4  $\frac{3}{2}V_p \times \rho_w \times g = V_p \times \rho_p \times g \Rightarrow \rho_p =$  (Since 1/4 of volume of *B* is above the water surface)  $\therefore \frac{p_A}{\rho_p} = \frac{p_W}{2} = \frac{2}{3}$ 2 3/4  $=\frac{\rho_{W}/2}{3/4 \ \rho_{W}}=$ *W A*  $\rho$  $\rho$

**9.** (C)

*B*

 $\rho$ 

**Sol.** If the liquid is incompressible then mass of liquid entering through left end, should be equal to mass of liquid coming out from the right end.

 $\rho$ 

$$
\therefore M = m_1 + m_2 \implies Av_1 = Av_2 + 1.5A \, . \, v
$$
\n
$$
\implies A \times 3 = A \times 1.5 + 1.5A \, . \, v \implies v = 1 \, m \, / \, s
$$

$$
10. \hspace{20pt} (C)
$$

**Sol.** Time required to emptied the tank  
\n
$$
t = \frac{A}{A_0} \sqrt{\frac{2H}{g}}
$$
\n
$$
\therefore \frac{t_2}{t_1} = \sqrt{\frac{H_2}{H_1}} = \sqrt{\frac{4h}{h}} = 2 \therefore t_2 = 2t
$$

**11.** (C)

**Sol.**  $P = h$  *p*f i.e pressure does not depend upon the area of bottom surface.

# **12.** (B)

**Sol.** 
$$
\hat{A}_1 \hat{V}_1 = A_2 V_2
$$
 (By the equation of continuity)

**13.** (C)

**Sol.** Time taken by water to reach the bottom  
\n
$$
= t = \sqrt{\frac{2(H - D)}{g}}
$$
\nand velocity of water coming out of hole,  
\n
$$
v = \sqrt{2gD}
$$
\n
$$
\therefore
$$
 Horizontal distance covered  $x = v \times t$   
\n
$$
= \sqrt{2gD} \times \sqrt{\frac{2(H - D)}{g}} = 2\sqrt{D(H - D)}
$$

**14.** (B)

- **15.** (A)
- **16.** (C)

**17.** (A)

**Sol.** Height of the blood column in the human body is more at feet than at the brain.  $As P = h \rho g$ , therefore the blood exerts more pressure at the feet than at the brain.





43. (C)  
\n**30.** (C) 
$$
\frac{1}{k}
$$
 = compressibility  $= \left(\frac{-\Delta V/V}{\Delta P}\right)$   
\n44. (D)  
\n45. (C)  
\n46. (B)  
\n50. Modulus of rigidity is the property of  
\n47. (B)  
\n48. (C)  
\n50. (A)  
\n51. (A)  
\n52. (B)  
\n53. (C)  
\n54. (A)  
\n55. (C)  
\n56. (D)  
\n57. (A)  
\n58. (C)  
\n59. (B)  
\n50. (C)  
\n51. (A)  
\n52. (B)  
\n53. (C)  
\n54. (C)  
\n55. (D)  
\n56. (a)  
\n67. (b)  
\n68. (c)  
\n69. (a)  
\n60. (b)  
\n61. (a)  $x = .509 \times 10^4 \text{ sec}^{-1}$  2.10<sup>-10</sup>  
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\n61. (a)  $x = .509 \times 10^4 \text{ sec}^{-1}$  2.10<sup>-10</sup>  
\n61. (b)  
\n63. (a)  
\n64. (b)  
\n65. (c)  
\n66. (d)  
\n67. (e)  
\n68. (f)  
\n69. (g)  
\n60. (h)  $x = \frac{3 \times 10^4}{100 \times 10^4} = \frac{300 \times 10^4}{500 \times 10^4} = \frac{30$ 

**59.** (D) **Sol.** Formula,  $\left[\frac{1}{n_1^2} - \frac{1}{n_2^2}\right]$  $\overline{v} = R \times Z^2 \left[ \frac{1}{n_1^2} - \frac{1}{n_2^2} \right]$ since  $\bar{v}$  = 15200 cm<sup>-1</sup> ......For  $z = 1$  (for H) and<br> $n_1 = 2\& n_1 = 3$ For balmer series  $15200 = R \left[ \frac{1}{2^2} - \frac{1}{3^2} \right]$  $= R \left[ \frac{1}{2^2} - \frac{1}{3^2} \right]^{n_1 = 2\& n_1 = 1}$  $15200 = R \left| \frac{9-4}{36} \right|$  $= R \left[ \frac{9-4}{36} \right] 15200 = R \left[ \frac{5}{36} \right]$  $= R \left[ \frac{5}{36} \right]$  $R = \frac{15200 \times 36}{5}$  $=\frac{15200\times36}{5}$  R = 3040 × 36.........(1) Also,  $\overline{\nu} = R \left[ \frac{1}{2^2} - \frac{1}{3^2} \right] \times (3)^2$  ........ For Z = 3  $\overline{v} = R \left[ \frac{5}{36} \right] \times 9$  From (1)  $\overline{v} = \frac{3040 \times 36 \times 5}{4} = 3040 \times 45 = 136800 \text{ cm}^{-1}$ Ans =  $v = 136800$  cm<sup>-1</sup> **60.** (A) Sol. For He<sup>+</sup> spectrum and H-spectrum with same wavelength,  $\lambda_1 = \lambda_0 \frac{1}{\lambda_1} = \frac{1}{\lambda_0}$ <sup>1</sup> <sup>1</sup>  $\overline{\lambda_1} = \overline{\lambda_n}$  Thus, (For H)  $(2)^{2} \left[ \frac{1}{n_{1}^{2}} - \frac{1}{n_{2}^{2}} \right] = (\text{For He}^{+})$  $R \times (2)^2 \left[ \frac{1}{n_1^2} - \frac{1}{n_2^2} \right] = (For He^+)$  $R \times (2)^2 \frac{3}{16}$  $\times (2)^2 \left[\frac{3}{16}\right]$  $(1)^2 \left[ \frac{1}{n_1^2} - \frac{1}{n_2^2} \right]$  $R \times (1)^2 \left| \frac{1}{n_1^2} - \frac{1}{n_2^2} \right| = R \times 4 \times \frac{3}{16}$  $\times (1)^2 \left[ \frac{1}{n_1^2} - \frac{1}{n_2^2} \right] = R \times 4 \times$  $\frac{2}{1}$   $n_2^2$ <sup>1</sup> <sup>1</sup> <sup>3</sup>  $\frac{1}{n_1^2} - \frac{1}{n_2^2} = \frac{3}{4}$  $\frac{1}{4n_1^2} = \frac{1}{n_2^2} = n_2^2 = 4n_1^2 = \frac{n^2}{n^1} = \frac{2}{1}$  $1 \t 1 \t 2$  $\boxed{n, = 2 \text{ and } n, = 1}$  for Lyman series **61.** (A) **Sol.**  $n = 1, \ell = 1, m = 1, s = s + \frac{1}{2}$ n always greater than  $'$   $\ell$  ' and 'm' Hence it is not applicable. **62.** (C) **Sol.**  $\triangle$ KE = –q.  $\triangle$ v= e.v

 $\therefore \frac{\ln}{\ln}$ 

 $=\sqrt{2meV}$ 

 $\frac{\text{m}}{\lambda}$  =  $\sqrt{2}$ .m ( $\Delta$ KE)

**63.** (D)

**Sol.** Assertion is false but reason is true. Atomic orbital is designated by  $n, l$  and  $m_l$ while state of an electron in an atom is specified by four quantum numbers  $n, l, m$ and *<sup>m</sup><sup>s</sup>* .

#### **64.** (B)

**Sol.** Both assertion and reason are true but reason is not the correct explanation of assertion. The difference between the energies of adjacent energy levels decreases as we move away from the nucleus. Thus in *<sup>H</sup>* atom

 $E_2 - E_1 > E_3 - E_2 > E_4 - E_3$ ......

- **65.** (D)
- Sol. Have the same no. of e<sup>-</sup> in the outer shell.
- **66.** (B) **Sol.** [Ga, Ge]
- **67.** (A)
- **Sol.** [106]
- **68.** (C)
- **69.** (A) **Sol.**  $N \rightarrow 2^{nd}$  Period S, Cl is 3<sup>rd</sup> Period br  $\rightarrow$  4 period]
- **70.** (A) **Sol.** [Covalent Radi is less then vander wall's Radi]

**71.** (D)  
**Sol.** 
$$
[Al^{\dagger} = 3s^2, Al^{\dagger 2} = 3s^1 Al^{\dagger 3} = 2p^6]
$$

- **72.** (B) **Sol.**  $(|P|=|P_1 + IP_2$  $M\alpha^{+2}$  = 176+348 = 526 KCal
- **73.** (A) **Sol.** [Li] **74.** (D)
- **Sol.** By theory

**75.** (B) **Sol.**  $r_{c-x} = r_{x_2} + r_{c_2} - 0.09 (\Delta EN)$  $=\frac{1}{2} + \frac{1.54}{2} - 0.09(3 - 2)$  $=1.16$ 





**90.** (B) The number of sub shell is  $(2\ell + 1)$ . The maximum number of electrons in the sub shell is  $2(2\ell + 1) = (4\ell + 2)$ .



- **92.** (D) **Sol.**  $p_x$  and  $p_y$  orbitals do not have proper orientation to overlap.
- **93.** (D) **Sol.** A/c to MOT concept No. Bond order  $= 2.5$  $C<sub>2</sub>$  Bond order = 2.0  $O_2$ <sup>-</sup> Bond order = 1.5  $He_2^+$  Bond order = 0.5

#### **94.** (B)

**Sol.** Smallest atom having half filled p-sub shell has highest  $I_0$  value.

# **95.** (B)

**Sol.**  $L \rightarrow R$  size  $\downarrow$  IE  $\uparrow$ 

# **96.** (C)

- **Sol.**  $\mathsf{Al}_2\mathsf{O}_3$  is highly stable.
- **97.** (A) **Sol.** B(OH)<sub>3</sub> is e- deficient.
- **98.** (C)
- **Sol.**  $(R_2SiO)_n$
- **99.** (A)
- **Sol.** The tendency to show '+2' oxidation state increases as we move down the group. This is due to inert pair effect which causes the inability of  $ns^2$  electrons of valence shell to participate in bonding. Thus, stability of elemens in '+2' oxidation state increases as we move down the group.

**100.** (B)

**Sol.** Tetrahalides are e– deficient.