

 $\textcircled{8}$  4 = 0.2  $\cdot$  *E*  $\cdot$  (2 cos 60<sup>o</sup>)  $= 0.2 E \cdot (2 \cdot 0.5)$  $E = \frac{4}{0.2} = 20 N C^{-1}$  $E = \frac{4}{1} = 20 N C^{-1}$ **14.** (C) **Sol.** Lines of force is perpendicular to the equipotential surface. Hence angle =  $90^\circ$ 

**15.** (A) **Sol.**  *CoulombNewton q*  $E = \frac{F}{\sqrt{F}} \longrightarrow \text{Newton}$  / 0  $=\!-\!-\!-\! \rightarrow$ 

**16.** (A)

**Sol.** *<sup>R</sup>*  $V = \frac{kq}{l}$ *i.e.*  $V \propto \frac{1}{R}$ Potential on smaller sphere will be more.

**17.** (C)

**Sol.**  $\Delta KE = qV = eV = e \times 1 = 1eV$ 

**18.** (B)

**Sol.**  $r^2$ 

$$
=9 \times 10^{9} \times \frac{5 \times 10^{-6}}{(0.8)^{2}} = 7 \times 10^{4} N/C
$$

 $9 \times 10^{9} \cdot \frac{5}{r}$  $E = 9 \times 10^{9}$ .

**19.** (C)

**Sol.** 
$$
E = \frac{1}{4\pi\varepsilon_0} \cdot \frac{Qr}{R^3} \quad \textcircled{E} \propto \frac{1}{R^3}
$$

**20.** (D)

Sol. **Addellerged Finally Sol. Sol. Addellerged Containst Addels** so they can deflect by electric field.

**21.** (C)

**Sol.** Because electric field applies the force on electron in the direction opposite to it's motion.

**22.** (C)

**Sol.** Potential  $V \propto \frac{1}{r} \Rightarrow V = \frac{V}{2} = 8V$ 

**23.** (B)

**Sol.** Given electric potential of spheres are same *i.e.*  $V_A = V_B$ 

 $\frac{Q_1}{Q_2}$  = 1  $\mathcal{Q}_1$ 1  $\mathcal{Q}_2$ *a* 1  $\frac{a}{\pi \varepsilon_0} \cdot \frac{a}{a} = \frac{a}{4\pi \varepsilon_0} \cdot \frac{a}{b} \Rightarrow$  *a*  $\overline{R}$  $4\pi\varepsilon_0$ <sup>.</sup>  $4\pi\varepsilon_0$  $\pi \varepsilon$  *b*  $O_2$  *b Q* ......(i) *Q*  $\sigma = \frac{1}{4\pi}$ as surface charge density  $\overline{\phantom{a}}$  4 $\pi r^2$ 2 2  $=\frac{Q_1}{2} \times \frac{b^2}{2} = \frac{a}{2} \times \frac{b^2}{2} =$ *b b b* σ *a* 1 1 2  $\mathbb{R}$   $\sigma_2$   $\mathcal{Q}_2$   $a^2$  *b*  $a^2$  *a Q b* σ *a a* 2 2 **24.** (C) **Sol.** Electric field between sheets 1  $E=\frac{\ }{2\varepsilon_0}(\sigma-\sigma)=$  $\frac{1}{2\varepsilon_0}(\sigma-\sigma)=0$ 0 **25.** (B) **Sol.**  $\Delta E = 2e \times 5V = 10eV$  **R** Final kinetic energy  $= 10eV$ **26.** (A) **27.** (A)  $= Ed = \frac{3000}{10} \times 10^{-2}$  $V = Ed = \frac{3600}{3} \times 10^{-2} = 10V$ **Sol. 28.** (B) **29.** (B) **Sol.** Electric potential due to dipole in it's general position is given by  $V = \frac{k \cdot p \cos \theta}{r^2}$   $\otimes$   $V \propto \frac{1}{r^2}$ 1 .p cos  $V \propto -\frac{1}{r}$ 2 *r* **30.** (C) **Sol.** Dipole moment  $p = q(2l)$  $= 3.2 \times 10^{-19} \times (2.4 \times 10^{-10}) = 7.68 \times 10^{-29} C - m$ **31.** (C) **Sol.**   $60^{\circ}$  $B$  $p_{net} = \sqrt{p^2 + p^2 + 2pp \cos 60^\circ} = \sqrt{3p} = \sqrt{3}ql$  (: *p* = *ql*) **32.** (A) **Sol.** 

$$
E = 9 \times 10^{9} \cdot \frac{2p r}{(r^2 - l^2)^2};
$$
  
\nBy using  
\n
$$
E = 9 \times 10^{9} \cdot \frac{2p r}{(r^2 - l^2)^2};
$$
 where  
\n
$$
p = (500 \cdot 10^{-6}) \cdot (10 \cdot 10^{-2}) = 5 \cdot 10^{-5}
$$
  
\n
$$
c \times m
$$
,  
\n
$$
r = 25 \text{ cm} = 0.25 \text{ m}, l = 5 \text{ cm} = 0.05 \text{ m}
$$
  
\n
$$
E = \frac{9 \times 10^{9} \times 2 \times 5 \times 10^{-5} \times 0.25}{\{(0.25)^2 - (0.05)^2\}^2}
$$
  
\n
$$
= 6.25 \times 10^7 \text{ N/C}
$$

**33.** (A)

**Sol.** Suppose neutral point *N* lies at a distance *x* from dipole of moment *p* or at a distance  $x_2$  from dipole of 64  $p$ .



At  $N$  |E. F. due to dipole  $\mathbb{I}$ |= |E. F. due to dipole  $\circledcirc$ 

$$
\frac{1}{4\pi\varepsilon_0} \cdot \frac{2p}{x^3} = \frac{1}{4\pi\varepsilon_0} \cdot \frac{2(64p)}{(25-x)^3}
$$

$$
\frac{1}{x^3} = \frac{64}{(25-x)^3} \quad \text{or} \quad x = 5 \text{ cm}.
$$

**34.** (A) **Sol.** By Gauss's theorem.

**35.** (B)

## **SECTION-B**

**36.** (D) **Sol.**   $\phi = \frac{\Sigma q}{\Sigma q} = 0$  $\mathcal{E}_0$ *i.e.* net charge on dipole is zero. **37.** (B) **Sol.** According to Gauss's applications.

**38.** (A) **Sol.** Electron has negative charge, in electric field negative charge moves from lower potential to higher potential.

## **39.** (B)

**Sol.** Electron and proton have same amount of charge so they have same coulomb force. They have different accelerations because they have different

masses  $(a = -\frac{m}{m})$  $a = \frac{F}{A}$ 

Therefore, both assertion and reason are true and reason is the correct explanation of the assertion.

**40.** (B)

**Sol.** 
$$
V_{inside} = \frac{Q}{4\pi\varepsilon_0 R} \quad \text{for } r \le R \quad \dots (i)
$$
  
and 
$$
V_{out} = \frac{Q}{4\pi\varepsilon_0 r} \quad \text{for } r \ge R \quad \dots (ii)
$$

*i.e.* potential inside the hollow spherical shell is constant and outside varies

according to  $\frac{V \propto \frac{1}{r}}{r}$  .

**41.** (A)

**Sol.** Because of the presence of positive test charge  $q_0$  in front of positively charged ball, charge on the ball will be redistributed, less charge on the front half surface and more charge on the back half surface. As a result of this net force *F* between ball and point charge will decrease *i.e.* actual electric field will be

greater than  $F/q_0$ .

**42.** (C) **Sol.** Electric field at a distance *R* is only due to sphere because electric field due to shell inside it is always zero. Hence

electric field = 
$$
\frac{1}{4\pi\varepsilon_0} \cdot \frac{3Q}{R^2}
$$
  
\n43. (D)  
\n**Sol.**  $E_x = -\frac{dV}{dx} = -(6-8y^2)$ ,  
\n $E_y = -\frac{dV}{dy} = -(-16xy - 8 + 6z)$   
\n $E_z = -\frac{dV}{dz} = -(6y - 8z)$   
\nAt origin  $x = y = z = 0$  so,  $E_x = -6$ ,  $E_y = 8$   
\nand  $E_z = 0$   
\n $\textcircled{B}$   $E = \sqrt{E_x^2 + E_y^2} = 10$  *N/C*  
\nHence force  $F = QE = 2 \times 10 = 20$  *N*

**44.** (C) **Sol.** Suppose third charge is similar to *Q* and it is *q* So net force on it  $F_{net}$  = 2*F* cos(



$$
\Rightarrow \frac{220}{V_2} = \frac{1}{9}
$$
  
\Rightarrow V<sub>2</sub> = 220 × 9 = 1980 Volt



**49.** (D)

**Sol. A → r ; B→ r → C→ p** 

 Electric field due to metallic plates remains same and constant at near by points.

[A] For  $\sigma_1 + \sigma_2 = 0 \Rightarrow \sigma_1 = -$ 

σ2

∴ Electric field at a point is equal & opposite in direction.

 $\sigma_1 + \sigma_2 = 0 \Rightarrow \sigma_1 = -\sigma_2$ 

 $[B]$  σ<sub>1</sub> + σ<sub>2</sub> > 0  $\Rightarrow$  σ<sub>1</sub> & σ<sub>2</sub> [densities]

 either both positive or opposite but positive has a greater magnitude. So the net electric field will be away from the plates in region I & III.

[C] Same explanation according to

[B] .

**50.** (B)

**Sol. A→ r; B→ r ; C → p** 

 **(A)** Electric field at a point is the vector sum of all individual fields at that point

(B) Electric flux 
$$
\hat{\mathbf{E}} \cdot d\vec{S} = \frac{q_{\text{enc}}}{\epsilon_0}
$$

(C) Electric flux 
$$
\oint \vec{E} \cdot d\vec{S} = \frac{4 \text{eucos}}{\epsilon_0}
$$

