NEET ANSWER KEY & SOLUTIONS

CLASS :- 12th PAPER CODE :- CWT-7

SUBJECT :- PHYSICS

Sol.
$$
c = \frac{E}{B} \Rightarrow B = \frac{E}{c} = \frac{18}{3 \times 10^8} = 6 \times 10^{-8} T
$$
.

9. (C)

Sol. According to the Maxwell's EM theory, the EM waves propagation contains electric and magnetic field vibration in mutually perpendicular direction. Thus the changing of electric field give rise to magnetic field.

10. (A)

Sol. Here $E_0 = 100$ V/m, $B_0 = 0.265$ A/m.

 Maximum rate of energy flow *S =* $E_0 \times B_0$

$$
= 100 \times 0.265 = 26.5 \frac{W}{m^2}
$$

11. (D)

12. (C)

 $Sol.$ \vec{E} and \vec{B} are mutually perpendicular to each other and are in phase i.e. they become zero and minimum at the same place and at the same time.

13. (B)

Sol. Molecular spectra due to vibrational motion lie in the microwave region of EMspectrum. Due to Kirchhoff's law in spectroscopy the same will be absorbed.

14. (A)

Sol. *E^x* and *^B^y* would generate a plane EM wave travelling in *z*-direction. \vec{E} , \vec{B} and \vec{k} form a right handed system \vec{k} is along zaxis. As $\hat{i} \times \hat{j} = \hat{k}$ $\Rightarrow E_x \hat{i} \times B_y \hat{j} = C \hat{k}$ *i.e. E* is along *x*-axis and

B is along *y-axis.*

15. (A)

Sol.
$$
V_{\gamma-rays} > V_{UV-rays} > V_{Blue light} > V_{Infraredrays}
$$

16. (D)

Sol. Ground wave and sky wave both are amplitude modulated wave and the amplitude modulated signal is transmitted by a transmitting antenna and received by the receiving antenna at a distance place.

17. (A)
\n18. (B)
\n18. (B)
\n18. (C)
\n19. (D)
\n19. (E)
\n19. (E)
\n19. (E)
\n19. (E)
\n19. (E)
\n19. (D)
\n19. (E)
\n19. (D)
\n19. (E)
\n19. (D)
\n10. E/M waves carry momentum and hence
\n10.20. The answer in surfaces. They also
\n11. The answer in the surface so
$$
p \ne 0
$$

\n12. (C)
\n13. (D)
\n14. (E)
\n15. (D)
\n16. (E)
\n17. (D)
\n28. (E)
\n19. (E)
\n20. (C)
\n21. (D)
\n22. (E)
\n23. (A)
\n24. (B)
\n25. (C)
\n26. (D)
\n27. (D)
\n28. (E)
\n29. (E)
\n20. $l = \frac{1}{2} \varepsilon_0 C E_0^2$
\n $l = \frac{V_0}{2} \varepsilon_0 C E_0^2$
\n21. (D)
\n22. (E)
\n23. (A)
\n24. (C)
\n25. (C)
\n26. (A)
\n27. (C)
\n28. (D)
\n29. (D)
\n20. (E)
\n21. (D)
\n22. (E)
\n23. (D)
\n24. (E)
\n25. (E)
\

27. (C)

Sol. Refractive index $= \sqrt{\frac{\mu \varepsilon}{\mu_0 \varepsilon_0}}$ $=$ $\frac{\mu \varepsilon}{\sigma}$ Here μ is not specified so we can consider μ = μ ₀ then refractive index $=\sqrt{\frac{c}{\varepsilon_0}}=2$ 0 ε Speed and wavelength of wave becomes half and frequency remain unchanged. **29.** (D) **30.** (D) **31.** (B) **32.** (B) **33.** (A) **Sol.** Intensity or power per unit area of the radiations $P = f_v$ $\Rightarrow f = \frac{1}{v} = \frac{0.9}{3 \times 10^8} = 0.166 \times 10^{-8} N/m^2$ $\frac{P}{v} = \frac{0.5}{3 \times 10^8} = 0.166 \times 10^{-8} N/m$ $f = \frac{P}{v} = \frac{0.5}{3 \times 10^8} = 0.166 \times 10^{-7}$ $=$ $=$ **34.** (D) **Sol.** $v = \frac{c}{\sqrt{c}} = \frac{3 \times 10^{8} \text{ m/s}}{2 \times 10^{8} \text{ m/s}} = 1.8 \times 10^{8} \text{ m/s}$ *rr* $1.8 \times 10^{\circ}$ *m* / 1.3×2.14 3×10^8 1.8 10 8 $\frac{1}{\times 2.14} = 1.8 \times$ $=\frac{c}{\sqrt{\mu_r \varepsilon_r}} = \frac{3 \times}{\sqrt{1.3}}$ **35.** (B) **Sol.** $I = I e^{-\mu x} \implies x = \frac{1}{\mu} \log_e \frac{I}{I}$ $x = \frac{1}{\mu} \log_e \frac{I}{I'}$ (where *I* = original intensity, *I'* = changed intensity) $36 = \frac{1}{\mu} \log_e \frac{I}{I/8}$ *I* $=\frac{1}{\mu}\log_e\frac{I}{I/8}=\frac{3}{\mu}\log_e 2$ (i) $\frac{1}{\mu} \log_e \frac{I}{I/2}$ $x = \frac{1}{\mu} \log_e \frac{I}{I/2} = \frac{1}{\mu} \log_e 2$ (ii) From equation (i) and (ii), $x = 12$ mm . **SECTION-B 36.** (C) **Sol.** $\lambda_m > \lambda_v > \lambda_v$ **37.** (A) **Sol.** If maximum electron density of the ionosphere is N_{max} per m^3 then the critical frequency f_c is given by $f_c = 9(N_{\rm max})^{1/2}$. \Rightarrow 1×10⁶ = 9(N)^{1/2} \Rightarrow N = 1.2 × 10¹² m⁻³

38. (C)

28. (C)

39. (B)

m

40. (A)
\n41. (C)
\n42. (D)
\n501. Direction of wave propagation is given by
\n
$$
\vec{E} \times \vec{B}
$$
.
\n43. (C)
\n501. Speed of light of vacuum $c = \frac{1}{\sqrt{\mu_0 \varepsilon_0}}$ and in
\nanother medium $v = \frac{1}{\sqrt{\mu \varepsilon}}$
\n $\therefore \frac{c}{v} = \sqrt{\frac{\mu \varepsilon}{\mu_0 \varepsilon_0}} = \sqrt{\mu_r K} \Rightarrow v = \frac{c}{\sqrt{\mu_r K}}$
\n44. (C)
\n501. EM wave is in direction
\nElectric field is in direction
\n $\vec{E} \times \vec{B} \rightarrow$ direction of propagation of EM
\nwave
\n45. (A)
\n501. Magnetic field vectors associated with this
\nelectromagnetic wave are given by
\n $\vec{B}_1 = \frac{E_0}{c} \hat{k} \cos (kx - \omega t) \hat{k} \frac{B_2}{B_2} = \frac{E_0}{c} \hat{i} \cos (ky - \omega t)$
\n $\vec{F} = q\vec{E} + q(\vec{V} \times \vec{B})$
\n $= q(\vec{E}_1 + \vec{E}_2) + q(\vec{V} \times (\vec{B}_1 + \vec{B}_2))$
\nby putting the value of \vec{E}_1 , \vec{E}_2 ,
\nThe net Lorentz force on the charged
\nparticle is
\n $\vec{F} = qE_0[0.8\cos (kx-\omega t) \hat{i} + \cos(kx-\omega t) \hat{j}]$
\n+0.2\cos(ky-\omega t) \hat{k}]
\nat t = 0 and at x = y = 0
\n $\vec{F} = qE_0[0.8\hat{i} + \hat{j} + 0.2\hat{k}]$

$$
\overline{\mathbf{3}}
$$

46. (B)

47. (C)

48. (C)

49. (D)

50. (B)

Sol. In air $\frac{L_0}{R}$ =

 $E _C$ B ⁿ It is possible if

 $E = \frac{E_0}{\sqrt{n}}$ and $B = B_0 \sqrt{n}$

Sol. Option 4 Is Correct

 $B_0 = \frac{E_0}{C} = \frac{\sqrt{2 \times 6}}{3 \times 40^2}$ T

 $= 2 \times 1.414 \times 10^{-8}$ T $= 2.828 \times 10^{-8}$ T

 $\therefore \frac{B_0}{B} = \frac{1}{\sqrt{n}}, \frac{E_0}{E} = \sqrt{n}$ $=$ $\frac{1}{\sqrt{2}}$, $\frac{10}{\sqrt{2}}$ =

Sol. $E_0 = \sqrt{2} E_{\text{rms}} = \sqrt{2} \times 6 \text{ V/m}$

C 3×10

 $=\frac{\sqrt{2 \times 6}}{3 \times 10^2}$ T = $\sqrt{2} \times 10^{-8}$ T

Sol. $\frac{E}{B} = c$ $\frac{E}{E}$ =

> $E = B \times c$ $= 15$ N/c

> > $(\hat{i} + \hat{j})$ 2 $\hat{i} + \hat{j}$

Sol. Force due to electric field is in direction –

Force due to magnetic field is in direction

2 j ˆ i ˆ

> 2 $\hat{\textbf{i}} + \hat{\textbf{j}}$

 \therefore net force is antiparallel to $\frac{(\hat{i} + \hat{j})}{\sqrt{n}}$.

In the medium of refractive index $= n$

because at t = 0, E = $-\frac{(\hat{i}+\hat{j})}{\sqrt{2}}$ E₀

 \therefore it is parallel to \vec{E}

 $\mathsf{q}(\vec{v} \times \vec{B})$ and $\vec{v} \parallel \hat{k}$

 $\frac{\mathsf{E}_0}{\mathsf{B}_s}$ = C