

Topic :- PROBABILITY

- Three integers are chosen at random from the set of first 20 natural numbers. The chance that their product is a multiple of 3 is
a) $194/285$ b) $1/57$ c) $13/19$ d) $3/4$
- A purse contains 2 six-sided dice. One is a normal fair die, while the other has two 1's, and two 5's. A die is picked up and rolled. Because of some secret magnetic attraction of the unfair die, there is 75% chance of picking the unfair die and a 25% chance of picking a fair die. The die is rolled and shows up the face 3. The probability that a fair die was picked up is
a) $1/7$ b) $1/4$ c) $1/6$ d) $1/24$
- A problem in mathematics is given to three students A, B, C and their respective probability of solving the problem is $1/2, 1/3$ and $1/4$. Probability that the problem is solved is
a) $3/4$ b) $1/2$ c) $2/3$ d) $1/3$
- A fair die is thrown 20 times. The probability that on the 10th throw, the fourth six appears is
a) ${}^{20}C_{10} \times 5^6/6^{20}$ b) $120 \times 5^7/6^{10}$ c) $84 \times 5^6/6^{10}$ d) None of these
- Mr. A lives at origin on the Cartesian plane and has his office at $(4, 5)$. His friend lives at $(2, 3)$ on the same plane. Mr. A can go to his office travelling one block at a time either in the $+y$ or $+x$ direction. If all possible paths are equally likely then the probability that Mr. A passed his friend's house is (shortest path for any event must be considered)
a) $1/2$ b) $10/21$ c) $1/4$ d) $11/21$
- There are two urns A and B . Urn A contains 5 red, 3 blue and 2 white balls, urn B contains 4 red, 3 blue and 3 white balls. An urn is chosen at random and a ball is drawn. Probability that the ball drawn is red is
a) $9/10$ b) $1/2$ c) $11/20$ d) $9/20$
- In a game a coin is tossed $2n + m$ times and a player wins if he does not get any two consecutive outcomes same for at least $2n$ times in a row. The probability that player wins the game is
a) $\frac{m+2}{2^{2n+1}}$ b) $\frac{2n+2}{2^{2n}}$ c) $\frac{2n+2}{2^{2n+1}}$ d) $\frac{m+2}{2^{2n}}$

8. Let A and B be events. Suppose $P(A) = 0.4$, $P(B) = p$ and $P(P \cup B) = 0.7$. The value of p for which A and B are independent is
- a) $1/3$ b) $1/4$ c) $1/2$ d) $1/5$
9. If a and b are chosen randomly from the set consisting of numbers 1, 2, 3, 4, 5, 6 with replacement. Then the probability that $\lim_{x \rightarrow 0} [(a^x + b^x)/2]^{2/x} = 6$ is
- a) $1/3$ b) $1/4$ c) $1/9$ d) $2/9$
10. Four die are thrown simultaneously. The probability that 4 and 3 appear on two of the die given that 5 and 6 have appeared on other two die is
- a) $1/6$ b) $1/36$ c) $12/151$ d) None of these
11. Cards are drawn one by one without replacement from a pack of 52 cards. The probability that 10 cards will precede the first ace is
- a) $241/1456$ b) $164/4165$ c) $451/884$ d) None of these
12. Forty teams play a tournament. Each team plays every other team just once. Each game result in a win for one team. If each team has a 50% chance of winning each game, the probability that at the end of the tournament, every team has won a different number of games is
- a) $1/780$ b) $40!/2^{780}$ c) $40!/3^{780}$ d) None of these
13. $2n$ boys are randomly divided into two subgroups containing n boys each. The probability that the two tallest boys are in different groups is
- a) $n/(2n - 1)$ b) $(n - 1)/(2n - 1)$ c) $(n - 1)/4n^2$ d) None of these
14. The probability of solving a question by three students are $1/2$, $1/4$, $1/6$ respectively. Probability of question being solved will be
- a) $33/48$ b) $35/48$ c) $31/48$ d) $37/48$
15. A fair coin is tossed 10 times. Then the probability that two heads do not occurs consecutively is
- a) $7/64$ b) $1/8$ c) $9/16$ d) $9/64$
16. If A and B each toss three coins. The probability that both get the same number of heads is
- a) $1/9$ b) $3/16$ c) $5/16$ d) $3/8$
17. A draws a card from a pack of n cards marked 1, 2, ... n . The card is replaced in the pack and B draws a card. Then the probability that A draws a higher card than B is
- a) $(n + 1)/2n$ b) $1/2$ c) $(n - 1)/2n$ d) None of these
18. All the jacks, queens, kings and aces of a regular 52 cards deck are taken out. The 16 cards are thoroughly shuffled and my opponent, a person who always tells the truth, simultaneously draws two cards at random and says, 'I hold at least one ace'. The probability that he holds two aces is
- a) $2/8$ b) $4/9$ c) $2/3$ d) $1/9$

19. The probability of winning a race by three persons A , B and C are $\frac{1}{2}$, $\frac{1}{4}$, and $\frac{1}{4}$, respectively. They run two races. The probability of A winning the second race when B wins the first race is

a) $\frac{1}{3}$

b) $\frac{1}{2}$

c) $\frac{1}{4}$

d) $\frac{2}{3}$

20. A composite number is selected at random from the first 30 natural numbers and it is divided by 5. The probability that there will be a remainder is

a) $\frac{14}{19}$

b) $\frac{5}{19}$

c) $\frac{5}{6}$

d) $\frac{7}{15}$

PE