Class: XIIth
Date :

## Topic :- WAVE OPTICS

1
(d)
$d \sin \theta=n \lambda$
$0.3 \times 10^{-3} \times \theta=6000 \times 10^{-10}$
$\theta=2 \times 10^{-3} \mathrm{rad}$
(a)
$I_{0}=R^{2}=\frac{R_{2}^{2}}{4}$
Number of $H P Z$ covered by the disc at $b=25 \mathrm{~cm}$
$n_{1} b_{1}=n_{2} b_{2}$
$n_{2}=\frac{n_{1} b_{1}}{b_{2}}=\frac{1 \times 1}{0.25}=4$
Hence the intensity at this point is
$I=R^{\prime 2}=\left(\frac{R_{5}}{2}\right)^{2}=\left(\frac{R_{5}}{R_{4}} \times \frac{R_{4}}{R_{3}} \times \frac{R_{3}}{R_{2}}\right)^{2} \times\left(\frac{R_{2}}{2}\right)^{2}$
$I=(0.9)^{6} I_{0}$
$I_{1}=0.531 I_{0}$
Hence the correct answer will be (a)
3
(c)
$I=I_{\max } \cos ^{2}\left(\frac{\phi}{2}\right)$
$\therefore \frac{I_{\text {max }}}{4}=I_{\text {max }} \cos ^{2} \frac{\phi}{2}$
$\cos \frac{\phi}{2}=\frac{1}{2}$
Or $\frac{\Phi}{2}=\frac{\pi}{3}$
$\therefore \phi=\frac{2 \pi}{3}=\left(\frac{2 \pi}{\lambda}\right) . \Delta x$
Where $\Delta x=d \sin \theta$
Substituting in Eq. (i) we get,
$\sin \theta=\frac{\lambda}{3 d}$
Or $\theta=\sin ^{-1}\left(\frac{\lambda}{3 d}\right)$
(a)
$\frac{E_{0}}{B_{0}}=c$. also $k=\frac{2 \pi}{\lambda}$ and $\omega=2 \pi v$
These relation gives $E_{0} k=B_{0} \omega$
(a)

For diffraction to be observed, size of aperture must be of the same order as wavelength of light
(b)

Infrasonic waves are mechanical waves
(a)
$\beta=\frac{\lambda D}{d} \Rightarrow \beta \propto \lambda$
(d)

When two waves of same frenquency, same wavelength and same velocity moves in the same direction. Their superposition results in the interference. The two beams should be monochromatic.
(d)

Let $n$th minima of 400 nm coincides with $m$ th minima of 560 nm then
$(2 n-1) 400=(2 m-1) 560 \Rightarrow \frac{2 n-1}{2 m-1}=\frac{7}{5}=\frac{14}{10}=\frac{21}{15}$
i.e., 4th minima of 400 nm coincides with 3 rd minima of 560 nm

The location of this minima is
$=\frac{7(1000)\left(400 \times 10^{-6}\right)}{2 \times 0.1}=14 \mathrm{~mm}$
Next, 11th minima of 400 nm will coincide with 8th minima of 560 nm Location of this minima is
$=\frac{21(1000)\left(400 \times 10^{-6}\right)}{2 \times 0.1}=42 \mathrm{~mm}$
$\therefore$ Required distance $=28 \mathrm{~mm}$
(b)
$\frac{I_{\text {max }}}{I_{\text {min }}}=\frac{4}{1} \frac{\left(a_{1}+a_{2}\right)^{2}}{\left(a_{1}-a_{2}\right)^{2}}$
Or $\quad \frac{a_{1}+a_{2}}{a_{1}-a_{2}}=\frac{2}{1}$
Or $\quad a_{1}+a_{2}=2 a_{1}-2 a_{2}$
Or $a_{1}=3 a_{2}$

$$
\begin{array}{ll}
\therefore & \frac{I_{1}}{I_{2}}=\frac{a_{1}^{2}}{a_{2}^{2}}=\frac{\left(3 a_{2}\right)^{2}}{a_{2}^{2}}=\frac{9}{1} \\
\therefore & \quad \frac{a_{1}}{a_{2}}=\frac{3}{1}
\end{array}
$$

(c)

Wave theory of light is given by Huygen
(c)

Interference fringes are bands on screen $X Y$ running parallel to the length of slits.
Therefore, the locus of fringes is represented correctly by $W_{3} W_{4}$.
(b)

The angular distance $(\theta)$ is given by

$$
\begin{aligned}
& \theta=\frac{\lambda}{d} \\
& \theta=2^{\circ}=\frac{\pi}{180} \times 2, \lambda=6980 \AA \\
& =6980 \times 10^{-10} \mathrm{~m} \\
& \Rightarrow d=\frac{\lambda}{\theta}=\frac{6980 \times 10^{-10} \times 180}{3.14 \times 2} \\
& =1.89 \times 10^{-5} \mathrm{~mm} \\
& \Rightarrow d=2 \times 10^{-5} \mathrm{~mm}
\end{aligned}
$$

(a)
$\beta=\frac{\lambda D}{d} \Rightarrow\left(0.06 \times 10^{-2}\right)=\frac{\lambda \times 1}{1 \times 10^{-3}} \Rightarrow \lambda=6000 \AA$
(c)

Given, $I_{1}=I$ and $I_{2}=9 I$
Maximum intensity $=\left(\sqrt{I_{1}}+\sqrt{I_{2}}\right)^{2}$

$$
=(\sqrt{I}+\sqrt{9 I})^{2}=16 I
$$

Minimum intensity
$=\left(\sqrt{I_{1}}-\sqrt{I_{2}}\right)^{2}=(\sqrt{I}-\sqrt{9 I})^{2}=4 I$
(a)

The diffraction pattern of light waves of wavelength $(\lambda)$ diffracted by a single, long narrow slit of width is shown. For first minimum.

$$
\begin{aligned}
& e \sin \theta=\lambda \\
& \sin \theta=\frac{\lambda}{\mathrm{e}}
\end{aligned}
$$



When $e$ is decreased for same wavelength, $\sin \theta$ increases, hence $\theta$ increases. Thus, width of central maxima will increase.
(d)

Intensity of EM wave is given by
$I=\frac{P}{4 \pi R^{2}}=v_{a v .} c=\frac{1}{2} \varepsilon_{0} E_{0}^{2} \times c$
$\Rightarrow E_{0}=\sqrt{\frac{P}{2 \pi R^{2} \varepsilon_{0} c}}$
$=\sqrt{\frac{800}{2 \times 3.14 \times(4)^{2} \times 8.85 \times 10^{-12} \times 3 \times 10^{8}}}$
$=54.77 \frac{\mathrm{~V}}{\mathrm{~m}}$

| ANSWER-KEY |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Q. | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |  |  |
| A. | D | A | C | A | A | B | A | D | D | B |  |  |
|  |  |  |  |  |  |  |  |  |  |  |  |  |
| Q. | 11 | 12 | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 |  |  |
| A. | C | C | B | B | A | C | D | A | A | D |  |  |
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