

$$E_1 = -(2)^2 (13.6 \text{ eV}) = -54.4 \text{ eV}$$

Therefore, to remove the second electron from the atom, the additional energy of 54.4 eV is required. Hence, total energy required to remove both the electrons = 24.6 + 54.4 = 79.0 eV

## 5

(a)

(a)

This is due to mass defect because a part of mass is used in keeping the neutrons and protons bound as  $\alpha$  – particle

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From Rutherford-Soddy law

$$N = N_0 \left(\frac{1}{2}\right)^n$$

$$n = \frac{t}{T}$$

$$\Rightarrow \frac{1000}{1414} = \left(\frac{1}{2}\right)^{t/T}$$

$$\Rightarrow \left(\frac{1}{2}\right)^2 = \left(\frac{10}{12}\right)^2 \qquad \text{(Approximately)}$$

$$\Rightarrow n = 2$$

$$\Rightarrow n = \frac{t}{T} = 2$$

$$\Rightarrow T = \frac{10}{2} = 5 \text{ min}$$

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(d)  

$$E = \Delta mc^2 = 1 \times (3 \times 10^8)^2 = 9 \times 10^{16} J$$
  
 $\Rightarrow E = \frac{9 \times 10^{16}}{1.6 \times 10^{-19}} = 5.625 \times 10^{35} eV = 5.625 \times 10^{29} MeV$   
(c)  
 $_{85}X^{297} \rightarrow _{77}Y^{281} + 4(_2He^4)$   
(d)  
Minimum wavelength is for highest energy  
 $n = 1 \rightarrow n = \infty$ , energy  $= E_0$   
 $n = 2 \rightarrow n = \infty$ , energy  $= E_0/4$   
 $\longrightarrow n = \infty E = 0$ 

$$\frac{n}{m} = 2 E_0/4$$

$$\frac{n}{m} = 1 E_0$$

∴ Balmer line has 4 times the wavelength

 $\therefore$  Ratio of minimum wavelength is 1/4 = 0.25

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(d)

(b)

(a)

**(b)** 

(d)

Activity reduces from 6000dps to 3000dps in 140 days. It implies that half-life of the radioactive sample is 140 days. In 280 days (or two half-lives) activity will remain  $\frac{1}{4}$  th of the initial activity. Hence the initial activity of the sample is

$$4 \times 6000 \, \text{dps} = 24000 \, \text{dps}$$

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The working of hydrogen bomb is based upon nuclear fusion.

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(i)  ${}_{16}S^{32} + {}_{0}n^1 \rightarrow {}_{15}p^{32} + {}_{1}H^1$ (ii)  ${}_{9}F^{19} + {}_{1}H^1 \rightarrow {}_{2}He^4 + {}_{8}O^{16}$ (iii)  ${}_{7}N^{14} + {}_{0}n^1 \rightarrow {}_{6}C^{14} + {}_{1}H^1$ 

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Number of atoms remains undecayed  $N = N_0 e^{-\lambda t}$ Number of atoms decayed  $= N_0 (1 - e^{-\lambda t})$  $= N_0 (1 - e^{-\lambda \times \frac{1}{\lambda}}) = N_0 (1 - \frac{1}{e}) = 0.63 N_0 = 63\%$  of  $N_0$ 

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By using 
$$A = A_0 \left(\frac{1}{2}\right)^{\frac{1}{T_{1/2}}} \Rightarrow \frac{A}{A_0} = \left(\frac{1}{2}\right)^{9/3} = \frac{1}{8}$$
  
(d)

Decrease in mass number = 4

Decreases in charge number = 2 - 1 = 1

20 **(c)** 

 $T \propto n^3$ 

ANSWER-KEY										
Q.	1	2	3	4	5	6	7	8	9	10
<b>A.</b>	В	В	С	D	A	A	D	D	C	D
Q.	11	12	13	14	15	16	17	18	19	20
<b>A.</b>	В	D	В	А	A	В	D	D	D	C

