

Class: XIth
Date:
Subject: MATHS
DPP No.: 3

| | | | | | | | | Горіс :- | - STAT | ISTICS | | |
|--|---|------|-------|------|-------|--------|-------------------------------|---------------|--------------------|-----------------|---------------------------------|-------------------------|
| 1. The quartile deviation for the following data is | | | | | | | | | | | | |
| <i>x</i> | | | | | | | | | | | | |
| f | | 3 | | | 4 | | | | | | | |
| , | | | | | | | | | | | | |
| | a) | 0 | | | | b] | $\frac{1}{4}$ | | c) $\frac{1}{2}$ | | | d) 1 |
| 2. | 2. The median of the items 6, 10, 4, 3, 9, 11, 22, 18 is | | | | | | | | | | | |
| | a) ' | | | | | - | 10 | | c) 9. | | | d) 11 |
| 3. | 3. If for a moderately skewed distribution, mode $= 60$ and mean $= 66$, then median $=$ | | | | | | | | | | | |
| | a) | | | | | - | 64 | | c) 68 | | | d) None of these |
| 4. | 4. If a variable takes values 0, $1,2,,n$ with frequencies q^n , ${}^nC_1q^{n-1}p$, ${}^nC_2q^{n-2}p^2$, ${}^nC_np^n$, where | | | | | | | | | | $^{-2}p^2$, $^nC_np^n$, where | |
| <i>p</i> + | q = | = 1, | then | the | mear | | | | | | | |
| | a) : | • | | | | - |) nq | | c) n(| (p+q) | | d) None of these |
| 5. | 5. Consider the following statements: | | | | | | | | | | | |
| 1. The AM of first <i>n</i> natural number is $\frac{1}{6}n(2n+1)$ | | | | | | | | | | | | |
| | | | | | | | di <mark>strib</mark> | | | | | |
| QD | $\leq N$ | ID: | ≤ SD | 1 | | | | | | | | |
| Wh | ich | of t | hese | is/a | re no | t corr | ect? | | | | | |
| | a) | Onl | y (1) |) | | b) | Only (| (2) | c) Bo | oth (1) and | (2) | d) None of these |
| 6. | | | | | | | is M. I | f the sum of | fn-4 ob | servations | is a, th | en the mean of |
| remaining 4 observations is | | | | | | | | | | | | |
| | a) $\frac{nM-a}{4}$ b) $\frac{nM+a}{2}$ | | | | | | $\left(\frac{nM+a}{2}\right)$ | <u>a</u> | c) $\frac{n N}{n}$ | $\frac{A-a}{2}$ | | d) $n M + a$ |
| 7. The standard derivation of the observations 22, 26, 28, 20, 24, 30 is | | | | | | | | | | | | |
| | a) : | 2 | | | | b) | 2.4 | | c) 3 | | | d) 3.42 |
| 8. The age distribution of workers in a factory is as fallows: | | | | | | | | | | | | |
| Ag | ge in | ı Ye | ars | No | of V | Vorke | rs | | | | | |
| 20- | | | | | | ·5 | | | | | | |
| 36-44 | | | | | | 100 | | | | | | |
| 44-52 | | | | | | 42 | | | | | | |
| | | | | | | .8 | | | | | | |
| If 15% of the total strength starting from lowest age group is retrenched and 20% of the total strength from the highest age groups is given premature retirement, then the age limit of workers | | | | | | | | | | | | |
| | _ | | | | _ | _ | groups | s is given pr | emature | retirement | t, then t | he age limit of workers |
| retained in the factory is | | | | | | | | | | | | |

a) 20-36

c) 28-52

b) 28-44

d)36-52

| | | - | _ | ks in a subject are 75. If | | | | | |
|--|--|---|--|--|--|--|--|--|--|
| the average marks of the complete class is 72, then what is the average of the girls? | | | | | | | | | |
| a) 73 | b) 65 | c) 6 | 8 | d) 74 | | | | | |
| 10. In a college of | 300 students ever | y student reads 5 n | ewspapers and ev | very newspaper is read by | | | | | |
| 50 students. The number of newspapers are | | | | | | | | | |
| a) At least 30 | b) At mo | st 20 c) E | xactly 25 | d) None of these | | | | | |
| 11. If the sum of tl | ne mode and men | of a certain frequen | cy distribution is | 129 and the median of the | | | | | |
| observations is 63, mode and median are respectively | | | | | | | | | |
| a) 69 and 60 | b) 65 an | d 64 c) 6 | 8 and 61 | d) None of these | | | | | |
| 12. For a series th | e value of mean de | eviation is 15, the m | ost likely value o | of its quartile derivation is | | | | | |
| a) 12.5 | b) 11.6 | c) 1 | 3 | d) 9.7 | | | | | |
| 13. If the mean of | <i>n</i> items is \overline{x} and the | ie sum of any $(n-1)$ |) number is R , th | en the value of left item is | | | | | |
| a) $n + \overline{x}$ | b) $n\overline{x} - R$ | c) \overline{x} | +Rn | d) $n\overline{x} - nR$ | | | | | |
| 14. If the mean d | eviation of numb | er 1,1 + d,1 + 2d | 1 + 100d from $1 + 100d$ | om their mean is 255, | | | | | |
| then the d is equa | | | , | | | | | | |
| a) 10.0 | b) 20.0 | c) 1 | 0.1 | d) 20.2 | | | | | |
| , | • | • | | 27, 29, 32, 43, 37, 41, 34, | | | | | |
| - , | - , | | | | | | | | |
| | , 30. II tile weigii | t 44 kg is replaced | by 46 kg and 2. | 7 kg is by 25 kg, then | | | | | |
| new median is | 12.00 | | |)) O.E. | | | | | |
| a) 32 | b) 33 | c) 3 | | d) 35 | | | | | |
| | | <mark>ibution give</mark> n bel <mark>ow</mark> | | | | | | | |
| | Frequency | | | | | | | | |
| 0-10 | 4 | | | | | | | | |
| 10-20 | 6 | | | | | | | | |
| 20-30 | 10 | | | | | | | | |
| 30-40 | 16 | | | | | | | | |
| 40-50 | 14 | | | | | | | | |
| The mean of the ab | | | | 12.04 | | | | | |
| a) 25 | b) 35 | c) 3 | | d)31 | | | | | |
| 17. If the variance of 1,2,3,4,5,,10 is $\frac{99}{12}$, then the standard derivation of 3,6,9,12,, 30 is | | | | | | | | | |
| a) $\frac{297}{4}$ | 2 | c) $\frac{3}{2}$ | | d) $\sqrt{\frac{99}{12}}$ | | | | | |
| 18. If each observa | ation of a raw data | whose variance is | σ^2 is multiplied by | y h , then the variance of | | | | | |
| the new set is | | | | | | | | | |
| a) σ^2 | b) $h^2\sigma^2$ | c) <i>h</i> | σ^2 | d) $h + \sigma^2$ | | | | | |
| 19. The mean inco | me of a group of v | vorkers is \overline{X} and tha | t of another grou | p is \overline{Y} . If the number of | | | | | |
| workers in the second group is 10 times the number of workers in the first group, then the mean | | | | | | | | | |
| ncome of the com | oined group is | | | | | | | | |
| a) $\frac{\overline{X} + 10 \overline{Y}}{3}$ | b) $\frac{\overline{X} + 10}{11}$ | $rac{\overline{Y}}{c}$ c) $\frac{1}{c}$ | $\frac{O(\overline{X} + \overline{Y})}{Y}$ | $d)\frac{X+10\overline{Y}}{9}$ | | | | | |
| 5 | n of $x_1, x_2, x_3 x_n$. T | | | ons about mean \overline{X} is | | | | | |
| a) 0 | b) \overline{X} | c) n | | d) None of these | | | | | |
| , | , | - 9 | | , | | | | | |
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